BE540 - Introduction to Biostatistics Computer Illustration Software: MINITAB

Topic 6 – Estimation

Confidence Interval Estimation for One Population Normal Distribution and Binomial Distribution

Normal Distribution

1. Setting

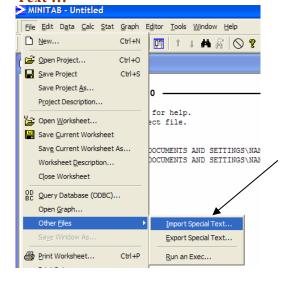
The following data set is comprised of birthweights of 48 cases of SIDS. Under the assumption that this is a random sample from a normal probability distribution, you are asked to construct

- (A) a 95% confidence interval estimate of the population mean birthweight; and
- (B) a 90% confidence interval estimate of the population variance.

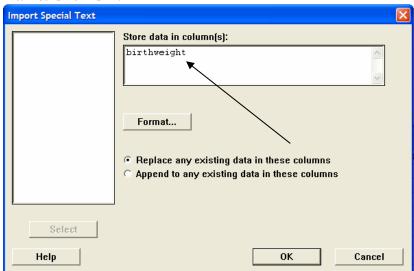
2466	3742	1616	2722	2608	2637	
3941	3062	4423	2495	2353	1503	
2807	3033	3572	3459	4394	2438	
3188	2353	2750	3374	3232	2722	
2098	2013	2807	1984	2013	2863	
3175	3515	2807	2495	2551	2013	
3515	3260	3005	3062	2977	3232	
3317	2892	3374	3005	3118	2863	

1. Read in the ASCII data 'birth.dat'.

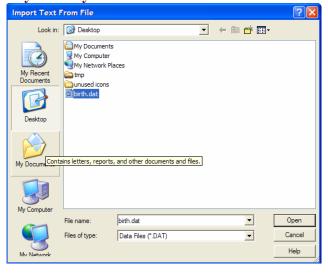
File > Other Files > Import Special Text ...



Input variable names: birthweight in the "Import Special Text" frame. Click OK.



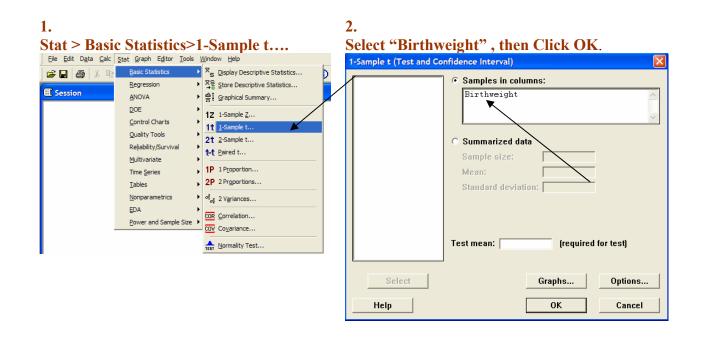
3. Browse to locate the directory where you saved the data. Select the .DAT file "BIRTH". Click OPEN.

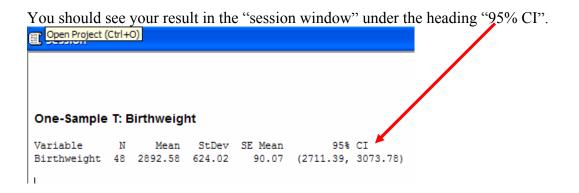


The data set (48 observations) is now imported to MINITAB. You should see the following worksheet:

Worksheet 4 ***						
	C1	C2	•			
	birthweight					
1	2466					
2	3941					
3	2807					
4	3188					
5	2098					
6	3175					
7	3515					
8	3317					
9	3742					
10	3062					
11	3033					

A. Confidence Interval for the Population Mean µ





B. Confidence Interval for the Population Variance σ^2

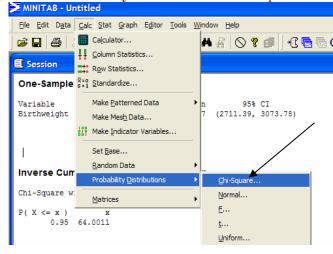
Minitab does not provide this confidence interval for you directly. Here is how to obtain it. Recall the formula.

Lower limit of the (1– α) CI: $\frac{(n-1)s^2}{\chi^2_{n-1,1-\alpha/2}}$

Upper limit of the $(1-\alpha)$ CI: $\frac{(n-1)s^2}{\chi^2_{n-1,\alpha/2}}$

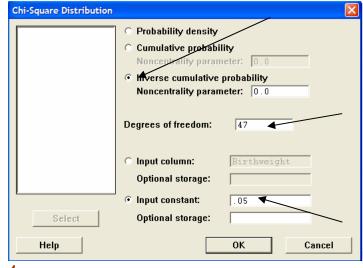
Preliminary – From the descriptives used to obtain the confidence interval for μ , we already know s=624.02 and n=48. Thus, we have the point estimate and the degrees of freedom. We use Minitab to find the Chi square percentile values that we need in order to complete the confidence interval calculation.

Calc> Probability Distribution>Chi-Square....



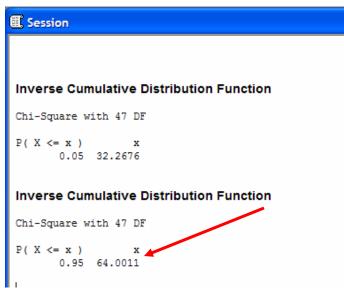
The "session" window will show the 5th percentile

2. Select "inverse cumulative probability. Enter 47 in "Degree of freedom" enter 0.05 in "input constant" click OK.



4. Similarly, we can get the 95th percentile.





Substitution yields the 90% confidence interval for $\sigma^2 = (285961.4, 567189.5)$. To see this, note

lower limit =
$$\frac{(n-1)S^2}{\chi_{.95;DF=47}^2} = \frac{(47)(642.02)^2}{64.0011} = 285,961.4$$

upper limit = $\frac{(n-1)S^2}{\chi_{.05;DF=47}^2} = \frac{(47)(642.02)^2}{32.2676} = 567,189.5$

Binomial Distribution

1. Setting

Large trees growing near power lines can cause power failures during storms when their branches fall on the lines. Power companies spend a great deal of time and money trimming and removing trees to prevent this problem. Researchers are developing hormone and chemical treatments that will stunt or slow tree growth. If the treatment is too severe, however, the tree will die. In one series of laboratory experiments on 216 sycamore trees, 41 trees died.

Give a 99% confidence interval for the proportion of sycamore trees that would be expected to die from this particular treatment.

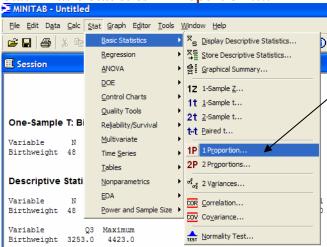
1. Read in data

1.

There is no need to read in the data in this setting.

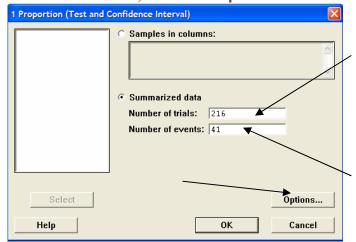
2. Confidence Interval for the binomial parameter π

Stat > Basic Statistics>1-Proportion



3. Enter 99 in "Confidence level" click OK. Last window will appear. Click OK.

Enter 41 in "Number of event" and 216 in "Number of trails", then Click options....



4. The result will appear in the "session" window.

